

Sensitivity of CLARREO Pathfinder Measurements of the Moon to Short-term Changes in Lunar Irradiance

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Overview and Motivation

The Moon is used as reference for on-orbit radiometric calibration of Earth observing instruments, such as MODIS, VIIRS, Landsat OLI, ...

- The Moon is an ultra-stable diffuse reflector of sunlight (solar diffuser)
- This stability enables inter-calibration to a common reference

Using the Moon for a reference requires a numerical model, to predict the lunar intensity for an instrument's lunar observations

- A working lunar model has been developed by USGS: ROLO
- However, improvement in accuracy needed for an absolute reference
 - current absolute radiometric uncertainty is ~5–10%

CLARREO's radiometric accuracy capability will be leveraged to make new measurements of the Moon

- Initially from CLARREO Pathfinder RS
 - lunar calibration works at reflected solar wavelengths
- Used for inter-calibration and to improve the lunar reference

USGS is developing operational requirements for CPF Moon views to help assure that CLARREO lunar measurements approach its accuracy specs



Considerations for Accuracy of CPF Lunar Measurements

The radiometric quantity used for lunar calibration is spectral irradiance

- For imaging instruments, found by spatial integration of Moon images:

$$E_{\text{meas}} = \frac{\Omega_p}{\eta} \sum_i^N L_i$$

Ω_p = pixel IFOV (solid angle)

η = oversampling factor

L_i = pixel radiance

N = # of pixels on Moon

For CPF RS spectrometer, spectral images are built up from scan lines

- 2-axis gimbal means off-nadir scanning has a rotational component
 - thus differential sampling of the Moon disk
 - per-pixel oversampling must be determined from post-acquisition processing

$$E_{\text{meas}} = \Omega_p \sum_i^N \frac{1}{\eta_i} L_i$$

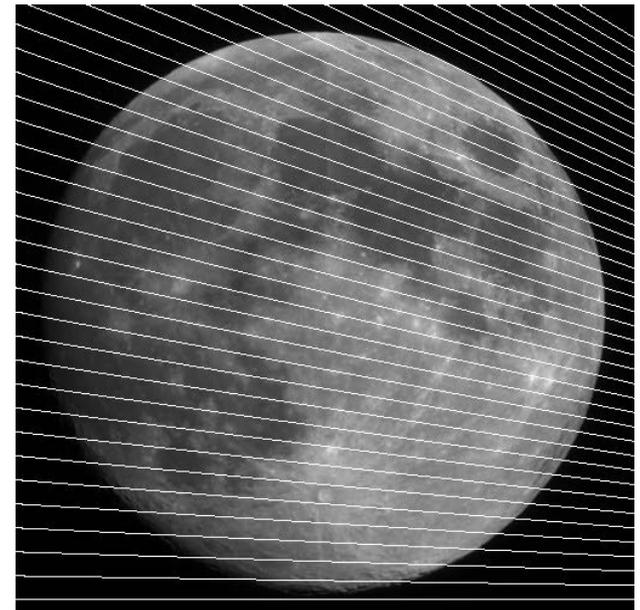
Ω_p = pixel IFOV (solid angle)

η_i = pixel oversampling factor

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- Discussed at the 2017 SDT Spring meeting



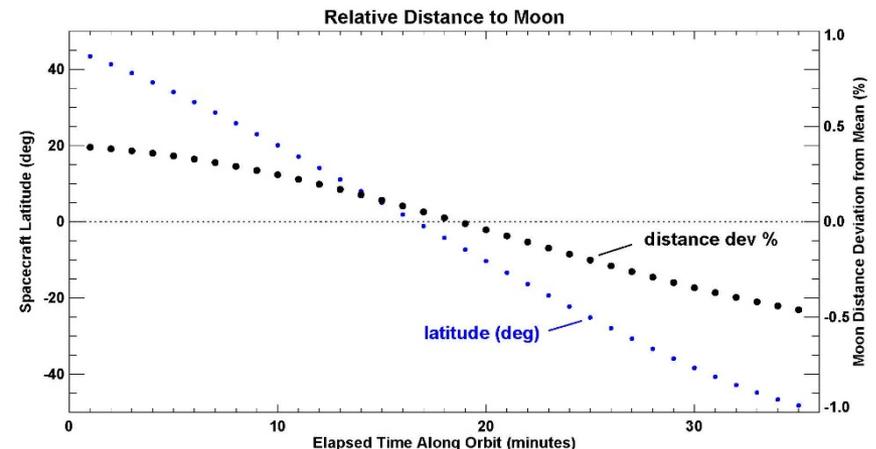
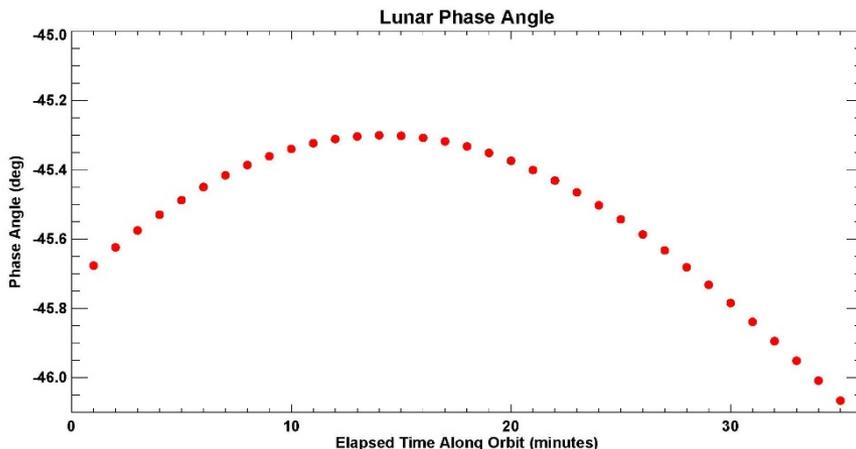
Considerations for Accuracy of CPF Lunar Measurements

Uncertainties of each factor must be evaluated to get combined uncer

- per-pixel oversampling η_i , pixel IFOV Ω_p , net radiance L_i

Another contribution to irradiance measurement uncertainty: **the Moon target changes brightness with time**

- due to lunar phase change and orbital motion of the sensor platform
 - lunar reflectance (thus irradiance) is strongly dependent on phase angle
 - phase angle changes with platform (ISS) position along its orbit track
 - irradiance has $1/r^2$ dependencies on Sun-Moon and Moon-sensor distance
 - Moon-sensor distance changes with platform position along its orbit track

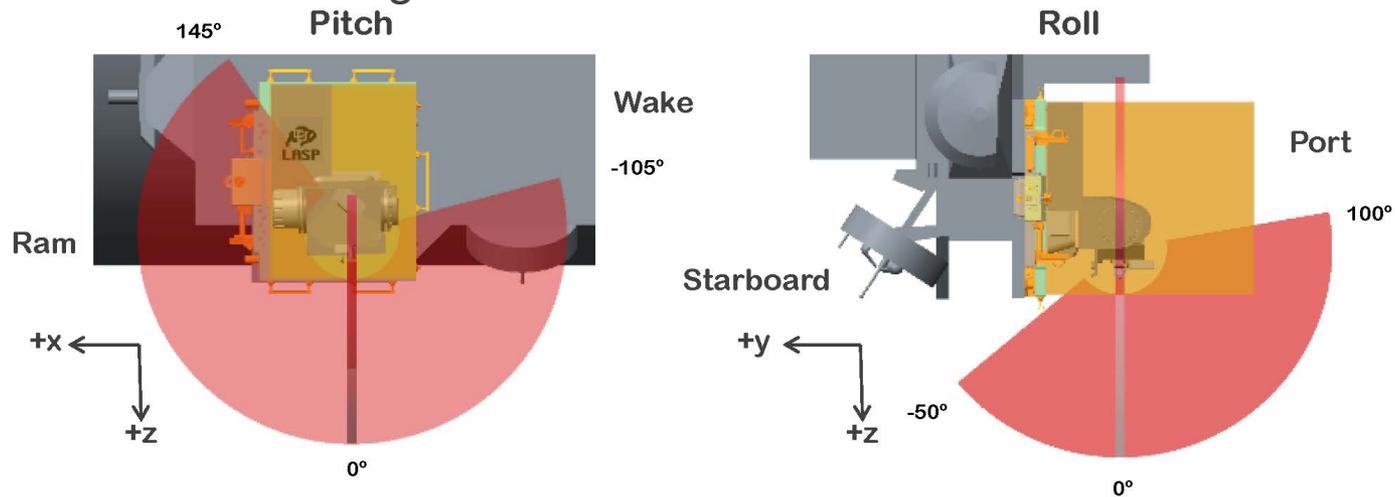


Current USGS study to evaluate these effects

Prerequisite: Simulation of CPF Moon Viewing Opportunities

Objective: to find times when the Moon is observable from ELC-1 Site 3

- Investigation of view geometries having clear line of sight to the Moon
 - based on an ephemeris for the Moon, a simulated ISS orbit, and CPF RS gimbal constraints
 - instrument mounting on ELC constrains RS views above the horizon:



*Accommodation studies by the NASA LaRC
Engineering team: J. Leckey, C. Boyer, T. Jackson*

- One-year simulation (nominal CPF mission), starting 22 Sept 2021
 - outcome was list of times when the Moon potentially is observable by RS
 - used as the basis dataset for the current study of Moon target variability

Current: Computing Changes in Lunar Irradiance with Time

Objective: determine the rate at which the Moon's brightness is changing

- rate of change determines the max RS scan time to capture the Moon

The USGS lunar irradiance model (ROLO) was used as a proxy

- spectral irradiances computed for times of CPF Moon view simulation
- nominal wavelength 500 nm, monochromatic
 - other wavelengths also run, but results were found negligibly different
- model outputs included distance corrections: Sun-Moon, Moon-ISS

The CPF Moon view simulation was conducted in 1-minute time steps

- lunar irradiance predictions E_M were generated for each time step
- collated into contiguous view opportunities with ≥ 4 minutes duration
- differentials computed from simple differences of adjacent time steps:

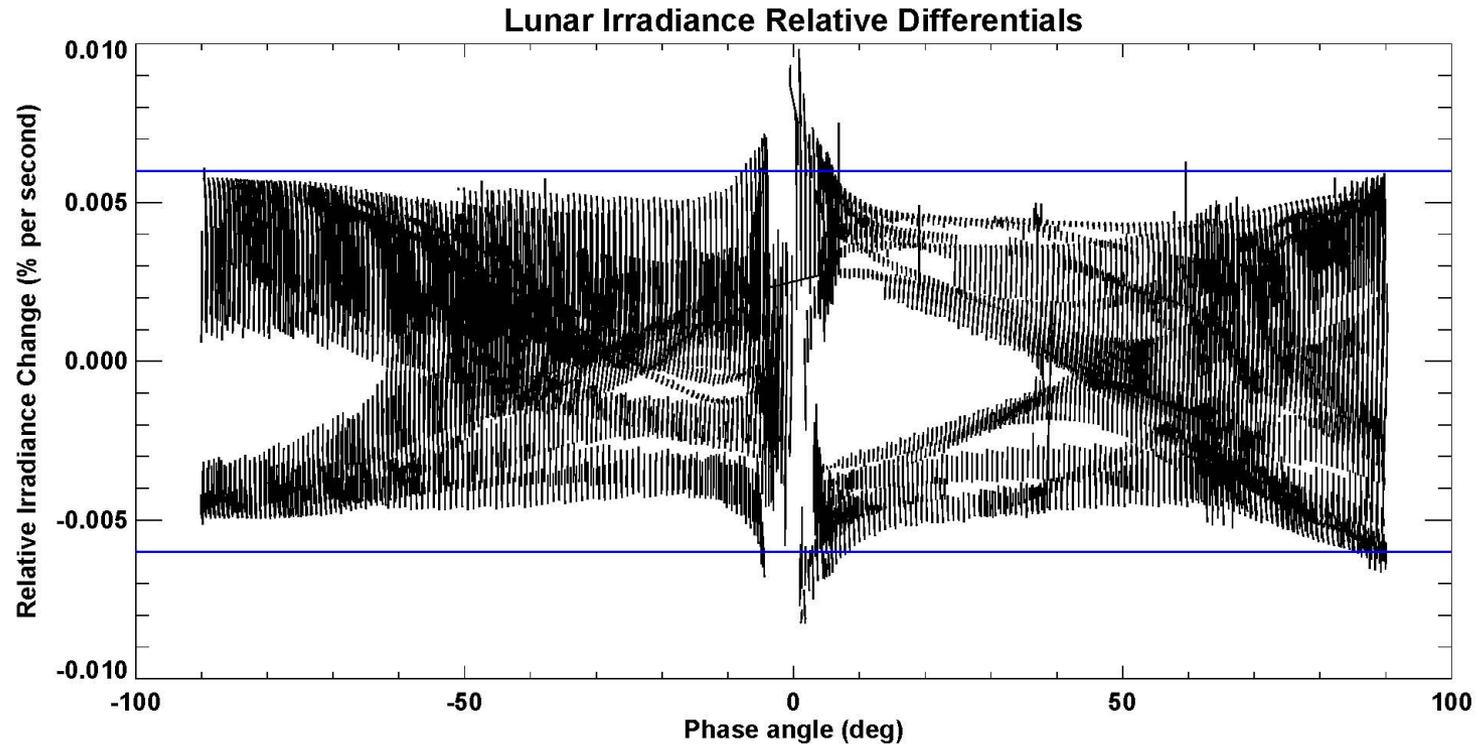
$$\Delta E_M / \Delta t = (E_i - E_{i-1}) / 60 \text{ seconds}$$

- normalized to give relative irradiance differentials in % per second:

$$\text{differential} = \frac{\Delta E_M / \Delta t}{E_M} \times 100\%$$

Results: Lunar Irradiance Differentials

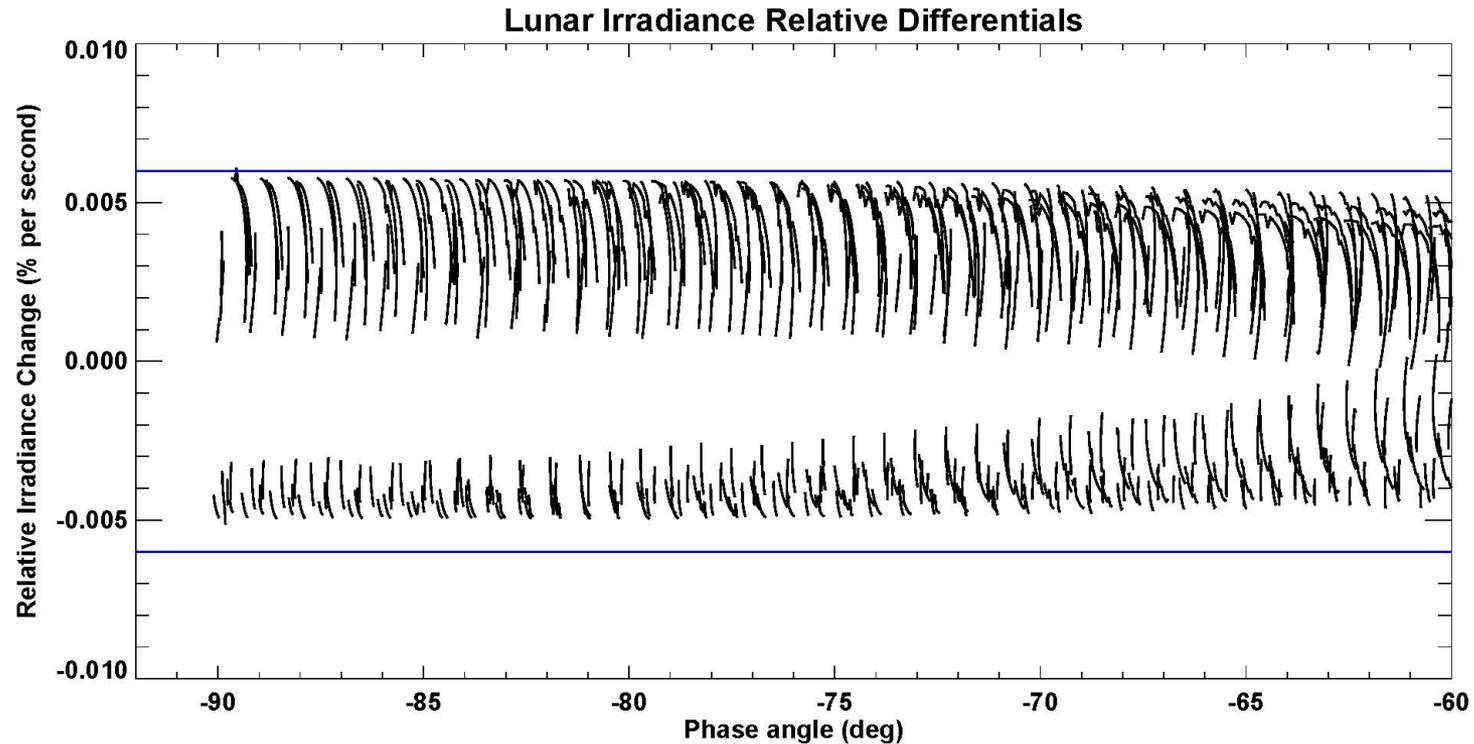
Distribution by lunar phase angle, 1-year simulation



- each “vertical” line represents a view opportunity, 2745 total
- fiducial lines at $\pm 0.006\% \text{ sec}^{-1}$ show approximate max differential
 - includes most data for phase angles larger than $\sim 8^\circ$
 - lunar “opposition effect” at narrower phases should be avoided

Results: Lunar Irradiance Differentials

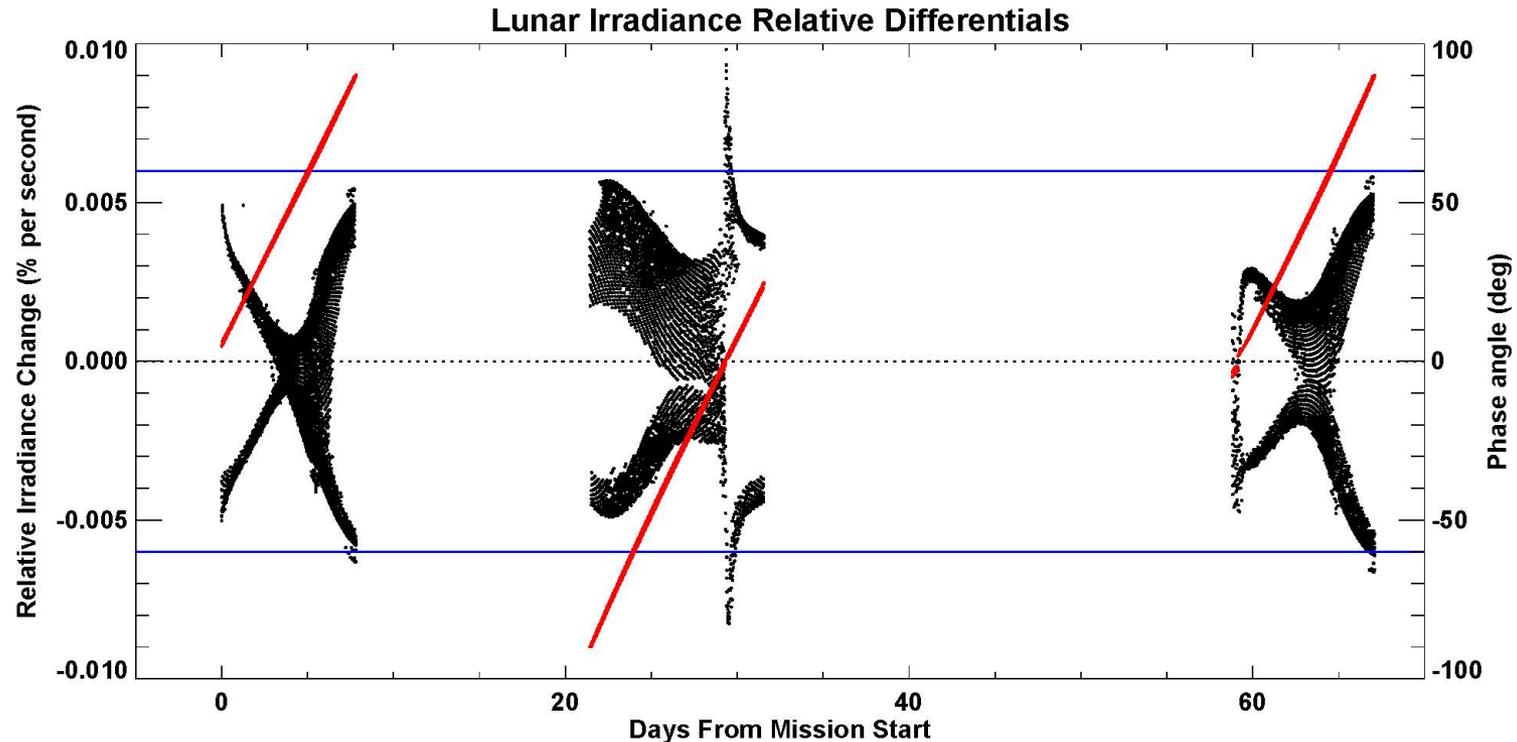
Distribution by lunar phase angle, expansion of range -90° to -60°



- typically a range of differentials within a view opportunity
- we are interested to find conditions when differentials are smallest
 - allows more time to scan the Moon

Results: Lunar Irradiance Differentials

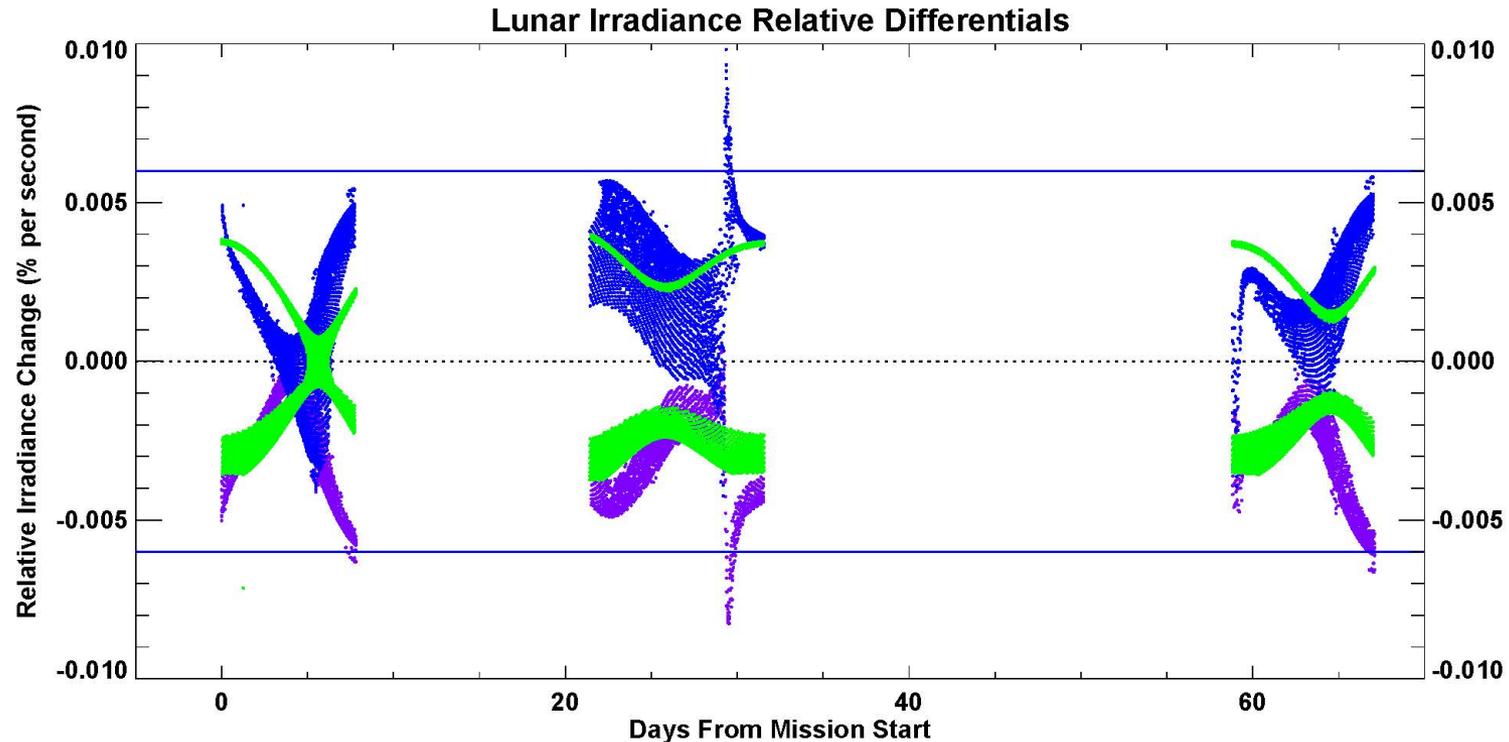
Distribution with time — first three lunations



- phase angles indicated in red (scale on right)
- distinct patterns suggest favorable times with small irradiance changes
 - led to search for predictors: correlations with various obs parameters
 - the two primary drivers are phase angle and distance correction

Results: Lunar Irradiance Differentials

Distribution with time — first three lunations



- differentials of distance corrections indicated in green
 - correlation ~ 0.7 , but the patterns are not aligned temporally
- other observation parameters were found to exhibit large variations over the lunation periods

Conclusion and Outcome

Conclusion: the temporal patterns of irradiance differentials arise from a more complex function of observation parameters in the lunar model

- thus some form of the lunar model must be operated to find the smaller irradiance changes

Alternatively, an operational requirement can be derived from the min/max values that encompass most of the irradiance differentials

- fiducial lines in the earlier plots, at $\pm 0.006\% \text{ sec}^{-1}$

Given a threshold of allowable variability in the lunar brightness during a measurement, can compute the maximum time to scan the Moon

Example: given a specification that the Moon's brightness can change no more than 0.1% during the measurement, the lunar disk must be scanned within 16.7 seconds:

$$0.1\% / 0.006\% \text{ sec}^{-1} = 16.7 \text{ sec}$$

Thank You!